

**ON ACCURACY OF HUGONIOT  
MEASUREMENTS**

**IN LASER EXPERIMENTS**

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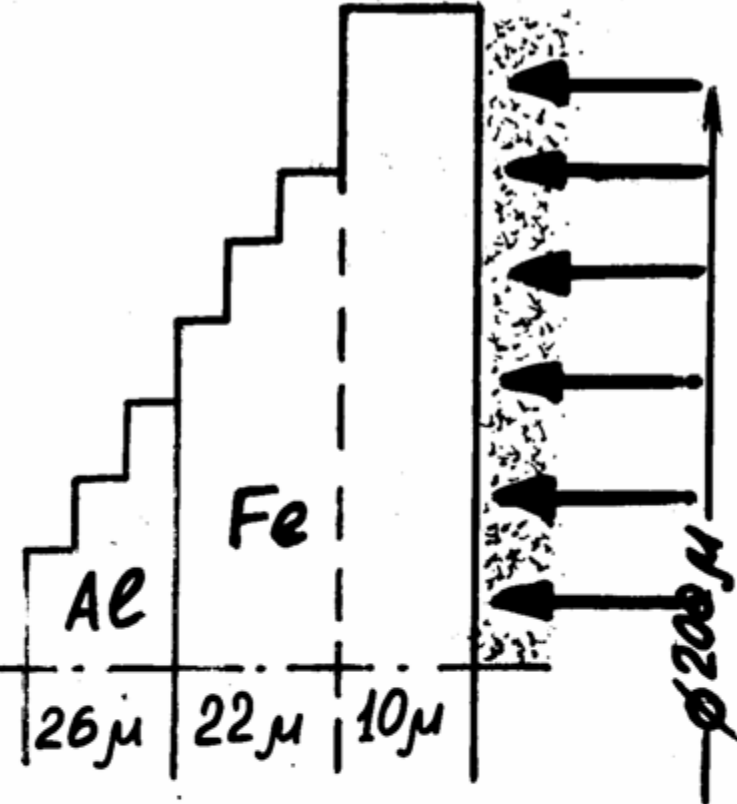
## **Hugoniot experimental measurements.**

- 1) With chemical explosives (Compendiums of Livermore, Los Alamos, Sarov): up to 2 Mbars in plane geometry, up to 10 Mbars in spherical geometry, up to 25 Mbars in 2-staged spherical devices; accuracy 1–2% in  $P, u$ .**
- 2) 5–10 Mbars in 2-staged light gas guns with plane geometry. Accuracy  $\sim 0.3\%$  in  $D, u$ .**
- 3) Up to 500 Mbars in nuclear underground explosions. Only impedance match method.**
- 4) Laser experiments. Pressures 10–20 Mbars. Plane geometry, impedance match method, accuracy  $\sim 5\%$ .**

**But now we need accuracy  $\leq 0.5\%$ .**

**In the 1970ths many scientists expected lasers to provide accurate measurements of shock compressions. But we were not so enthusiastic:**

**N.N. Kalitkin, V.B. Rozanov, Conference in Plasma Physics, 1975, Zvenigorod.**



$$E = 500 \text{ эВ}$$

$$W = 1,6 \times 10^{15} \text{ Вт/см}^2$$

$$t \approx 1 \text{ нсек}$$

	Fe	Al
$P$ Мбар	170	90
$D$ км/сек	55	67
$U$ км/сек	40	51

Базы по 7-9 μm  
 времена по 135 псек

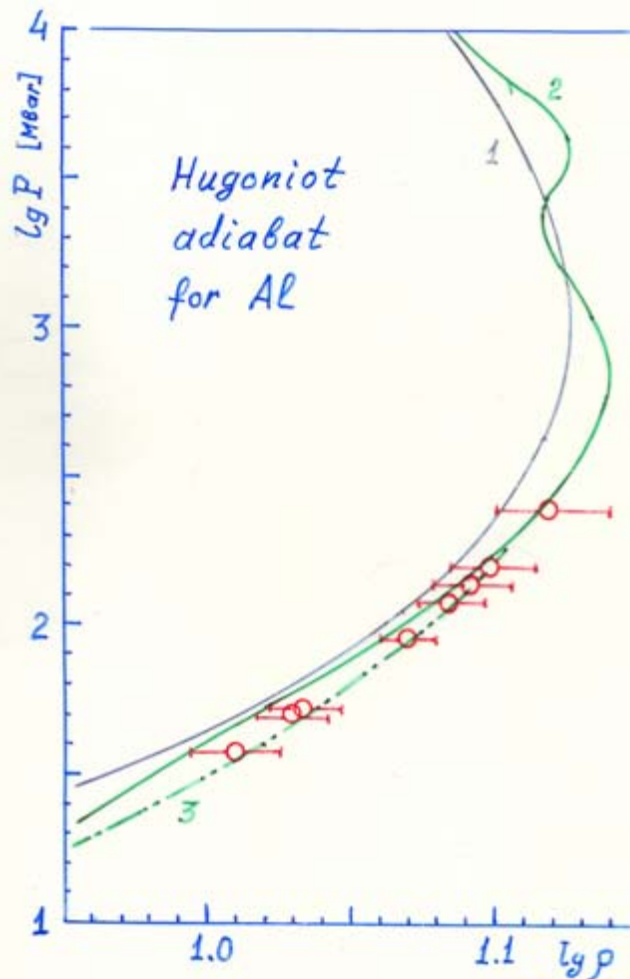
чтобы получить  $D_{Al}(D_{Fe}) \pm 0,5\%$   
 надо точность измерения  
 200 Å и 0,35 псек

## Methods

Complicated original theoretical models based on quantum mechanics and statistical physics.

Experimental information at low pressures and temperatures is used for model corrections.

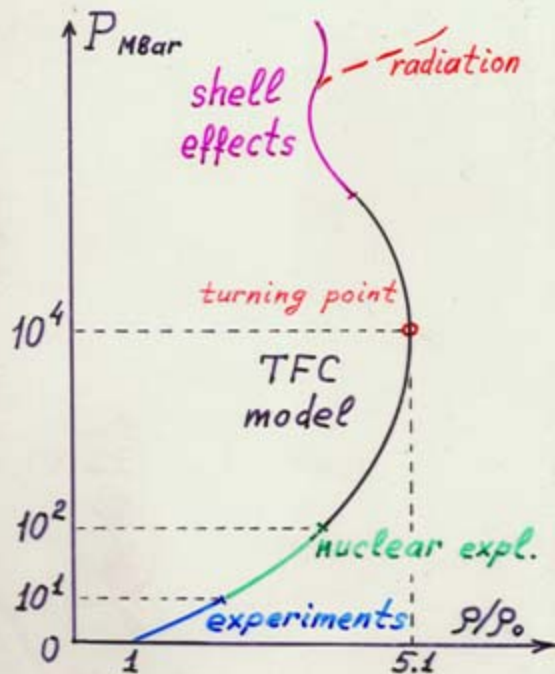
## Accuracy



- experiments of Chelyabinsk - 70.
- 1 - SESAME library \* (~10 models with fitting to experiments at low pressures).
- 2 - TEPHYS library (only 3 theoretical models without fitting to experiments).
- 3 - TEPHYS with fitting to low pressure experiments.

\* SESAME - Los Alamos

# Behaviour of Hugoniot



Cu, porosity  $m=1$ .

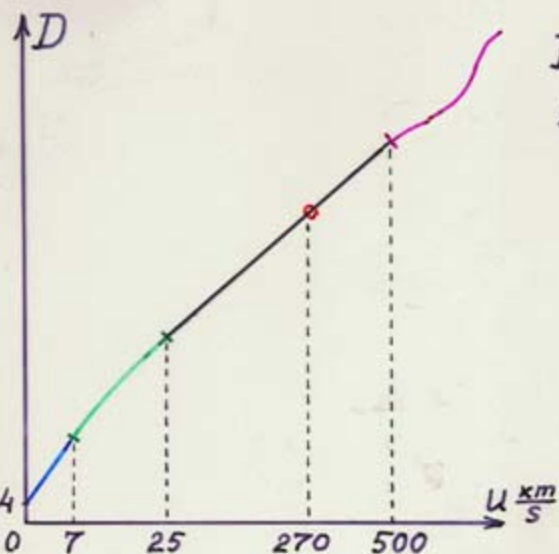
Turning point:

$P_t \approx 7.9 \text{ Gbar}$ ,

$u_t \approx 270 \text{ km/s}$ .

For  $m > 1$

behaviour of all parts of this curve is the same *except* experimental part, where the behaviour is much more complicated.



$D(u)$  curve is more suitable for approximation.

## Experimental data treatment

**L.V. Altshuler in 1970ths treated the whole massive of experimental data using approximation**

**$D(u) \approx c + bu + du^2$ . We proposed the better method. It is based on two variants of the theoretical model of not compressed atom:**

- **TFC – the Thomas–Fermi model with quantum and exchange corrections,**
- **QS – the quantum–statistical model.**

**Both models give good Hugoniot of condensed matters at pressures 25 Mbars – 230 Gbars.**

$$D_{QS}(u) \approx C + Bu + Au^2 \pm 0.1\%; \quad 0 < A \ll 1.$$

**Coefficients  $C, B, A$  were calculated for 83 substances.**



**At pressures above all phase transitions experimental data are approximated by**

$$D(u) \approx D_{QS}(u) - \frac{C' - c}{1 + \mu u + \mu^2 u^2}, \quad \mu \equiv \frac{b - B}{C' - c}.$$

**At  $u \rightarrow 0$  this approximation tends to**

$$D(u) \approx c + bu + O \cdot u^2.$$

**Coefficients  $c, b$  are fitted by the least square method. For those elements where  $\geq 200$  exp. points are measured, accuracy of  $D(u)$  reaches 0.15% (Cu and Fe).**

**The very illustrative form of graphic representation was proposed:  $D/D_{QS}$  versus  $u$ .**

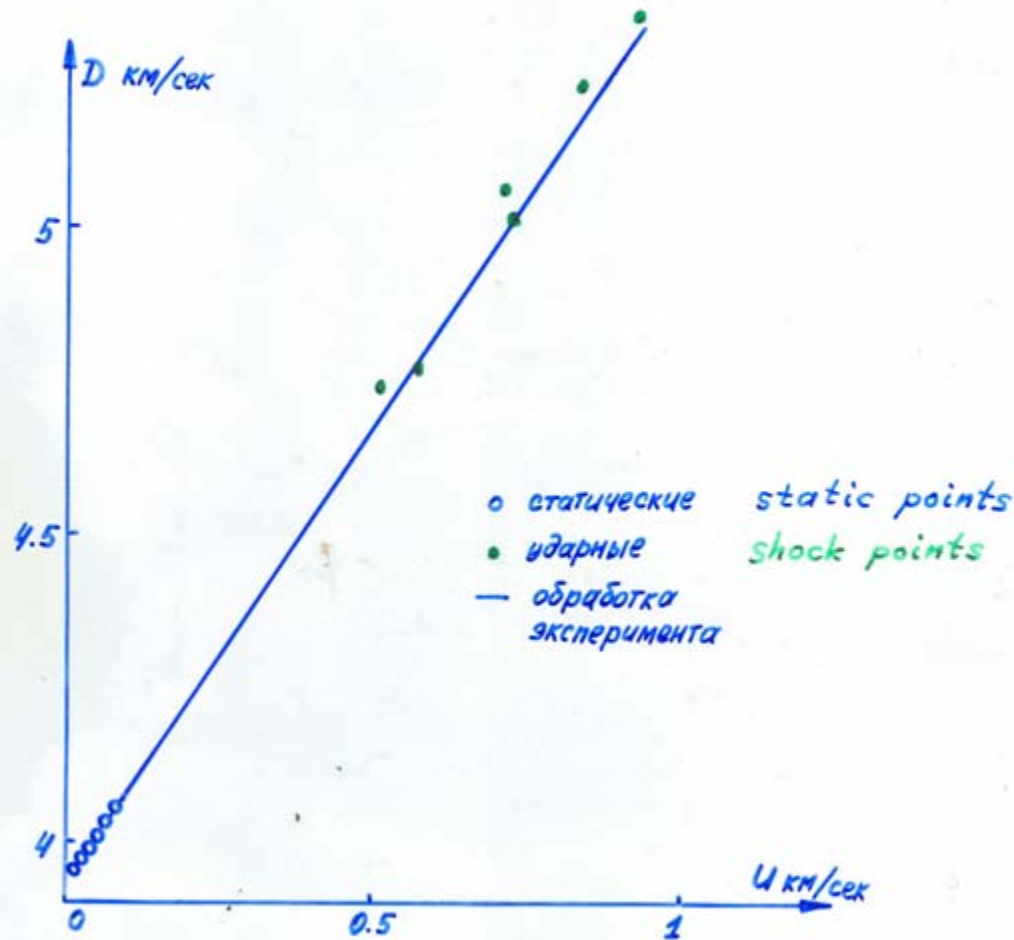


$$D = \sqrt{\frac{P - P_0}{\rho_0} \cdot \frac{\delta}{\delta - 1}}$$

$$u = \sqrt{\frac{P - P_0}{\rho_0} \cdot \frac{\delta - 1}{\delta}}$$

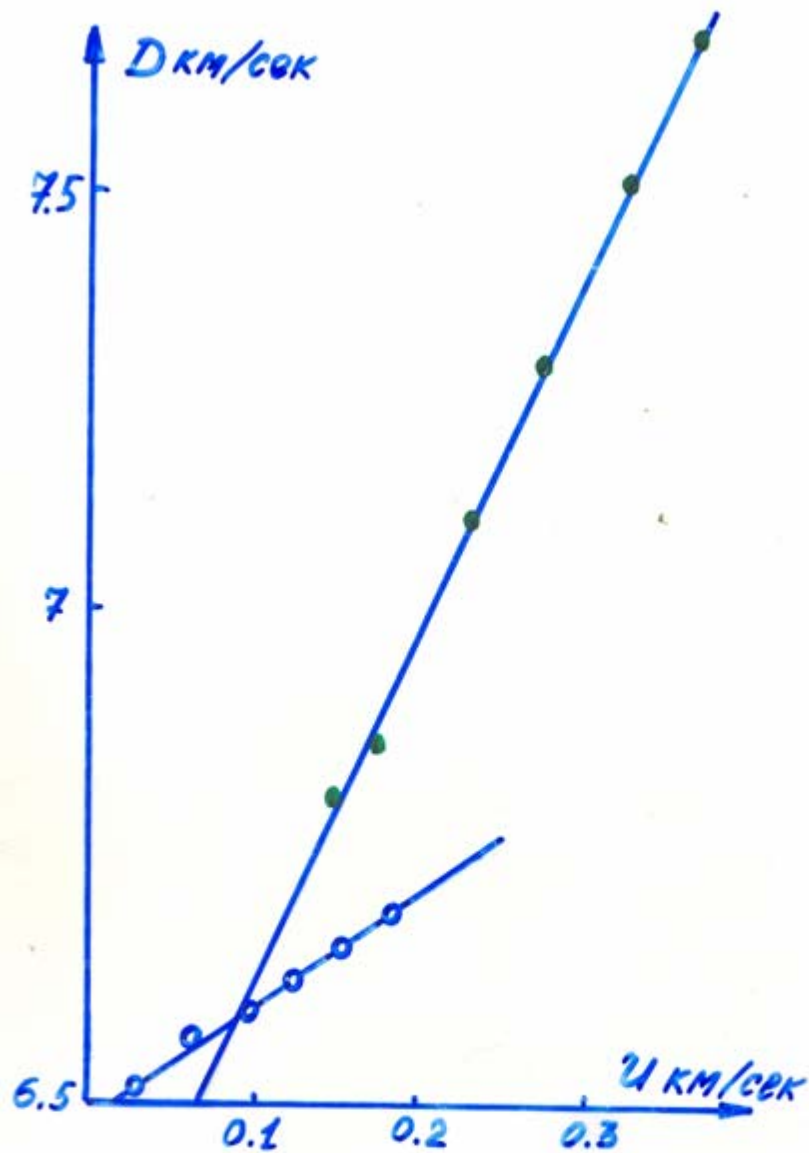
$$\delta = \frac{\rho}{\rho_0}$$

Formulae for  
treatment of  
static experiments

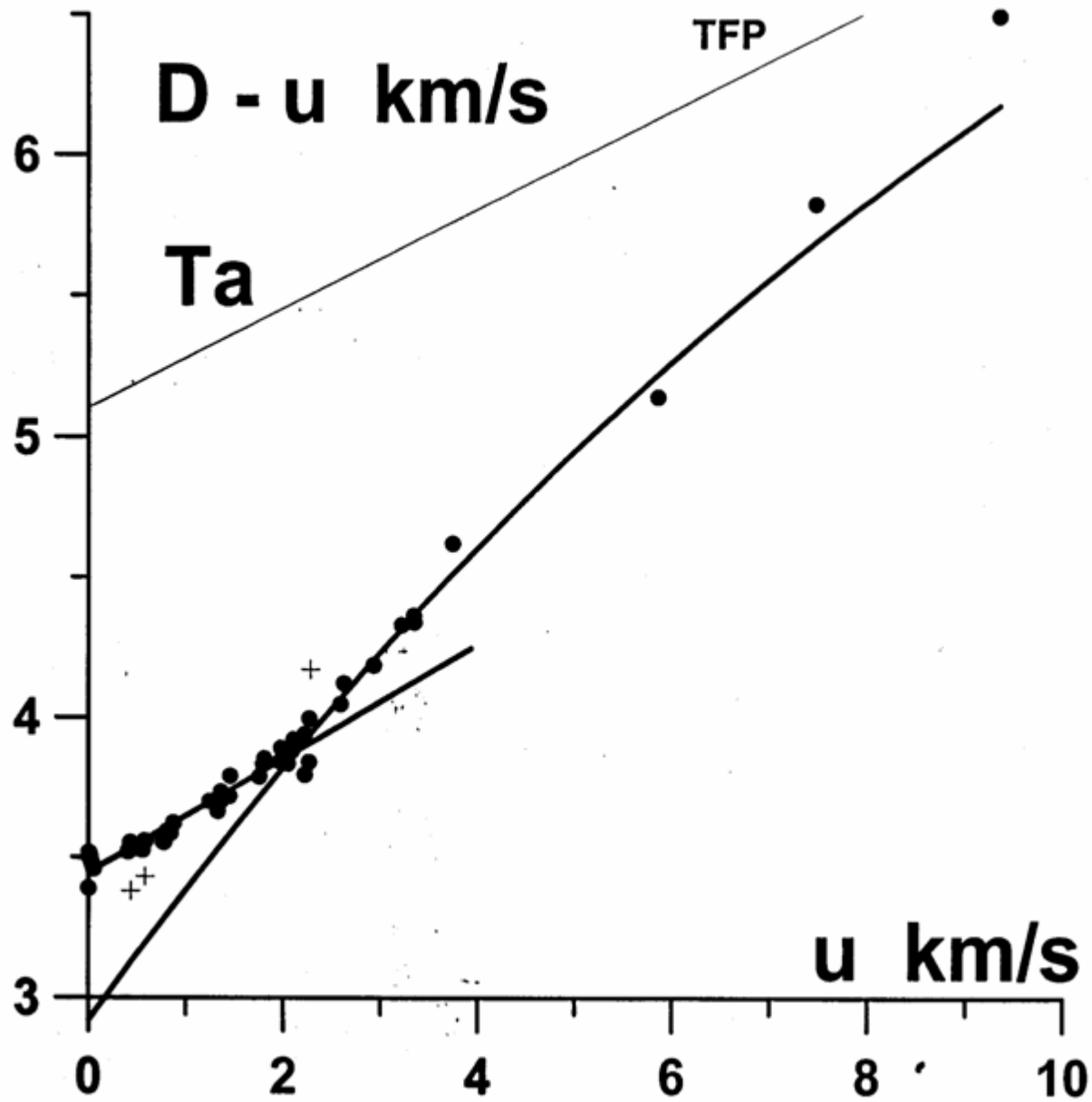


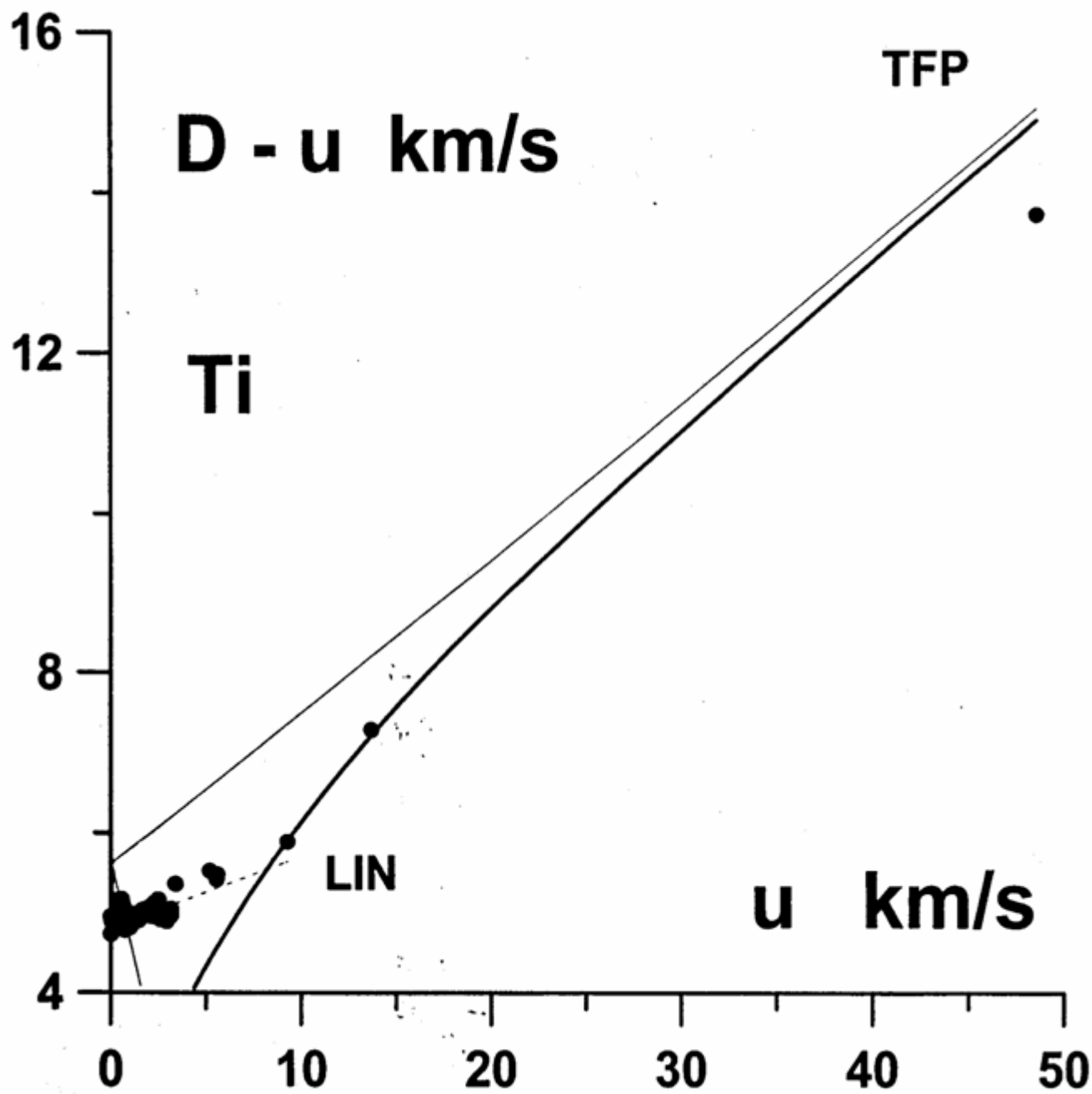
Статическое и ударное сжатие меди.

Static and shock compression of Cu



Обработка кривых холодного сжатия  
кремния Бриджмена, кружки и точки -  
- работы разных лет.





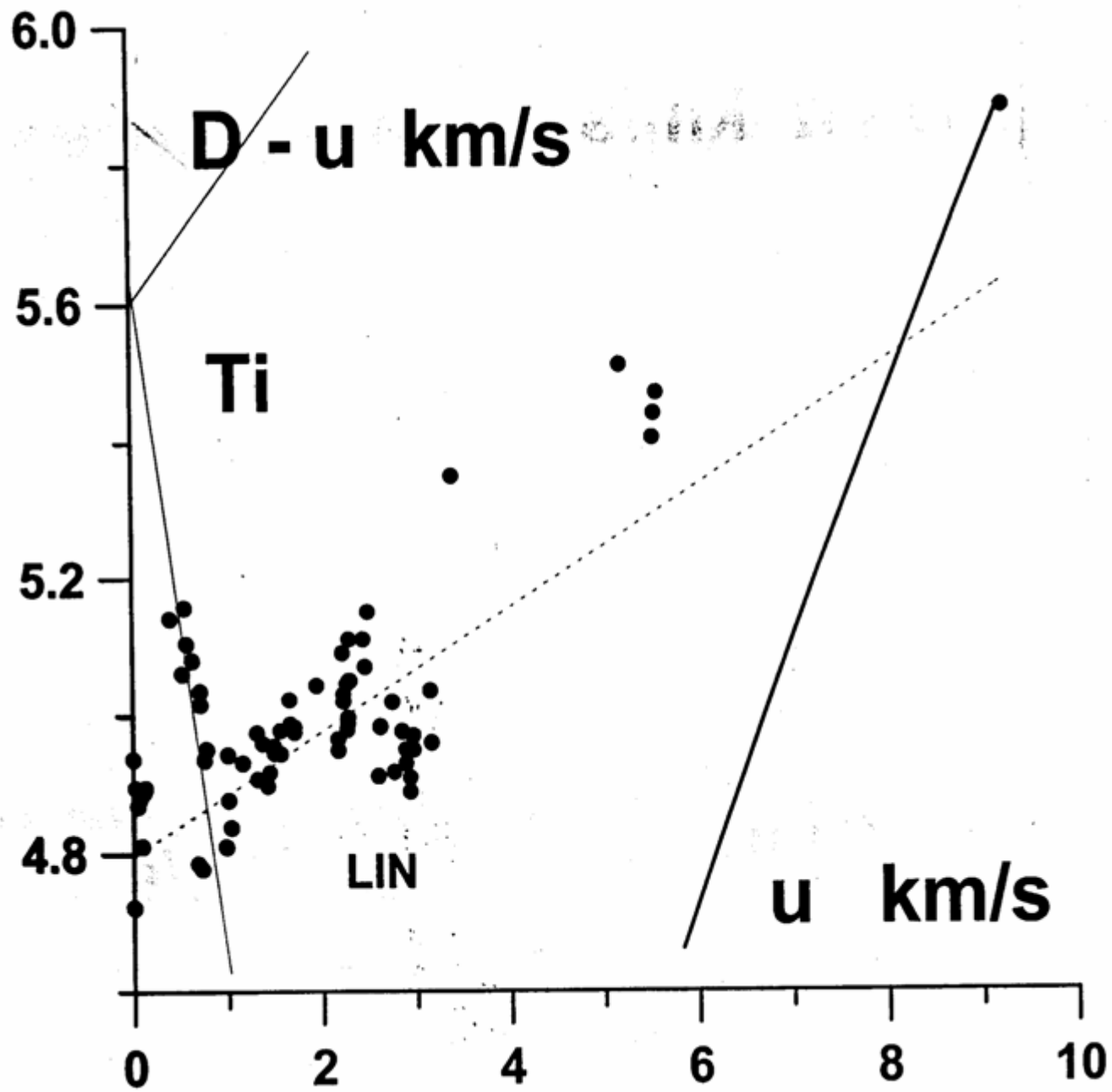
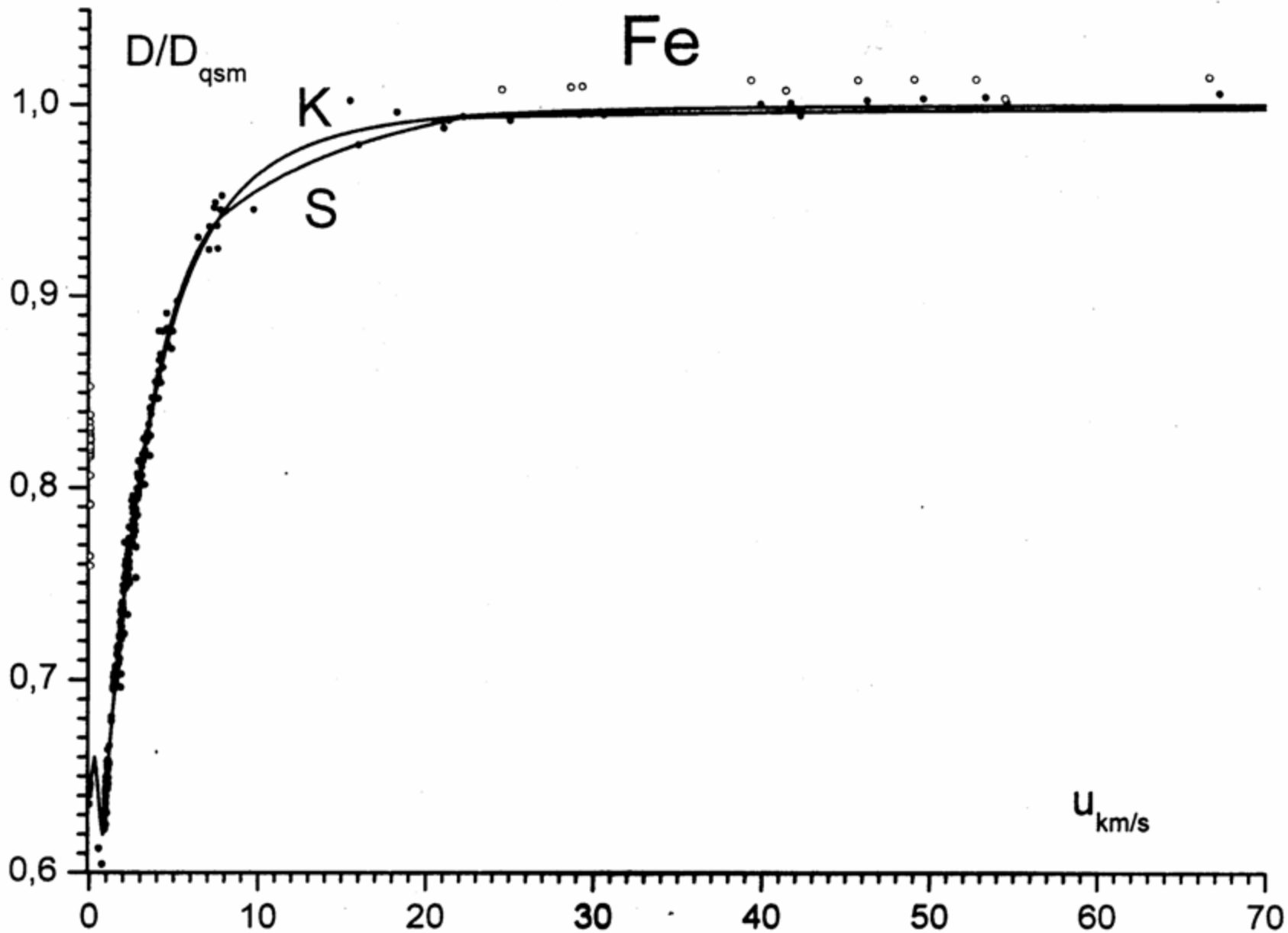
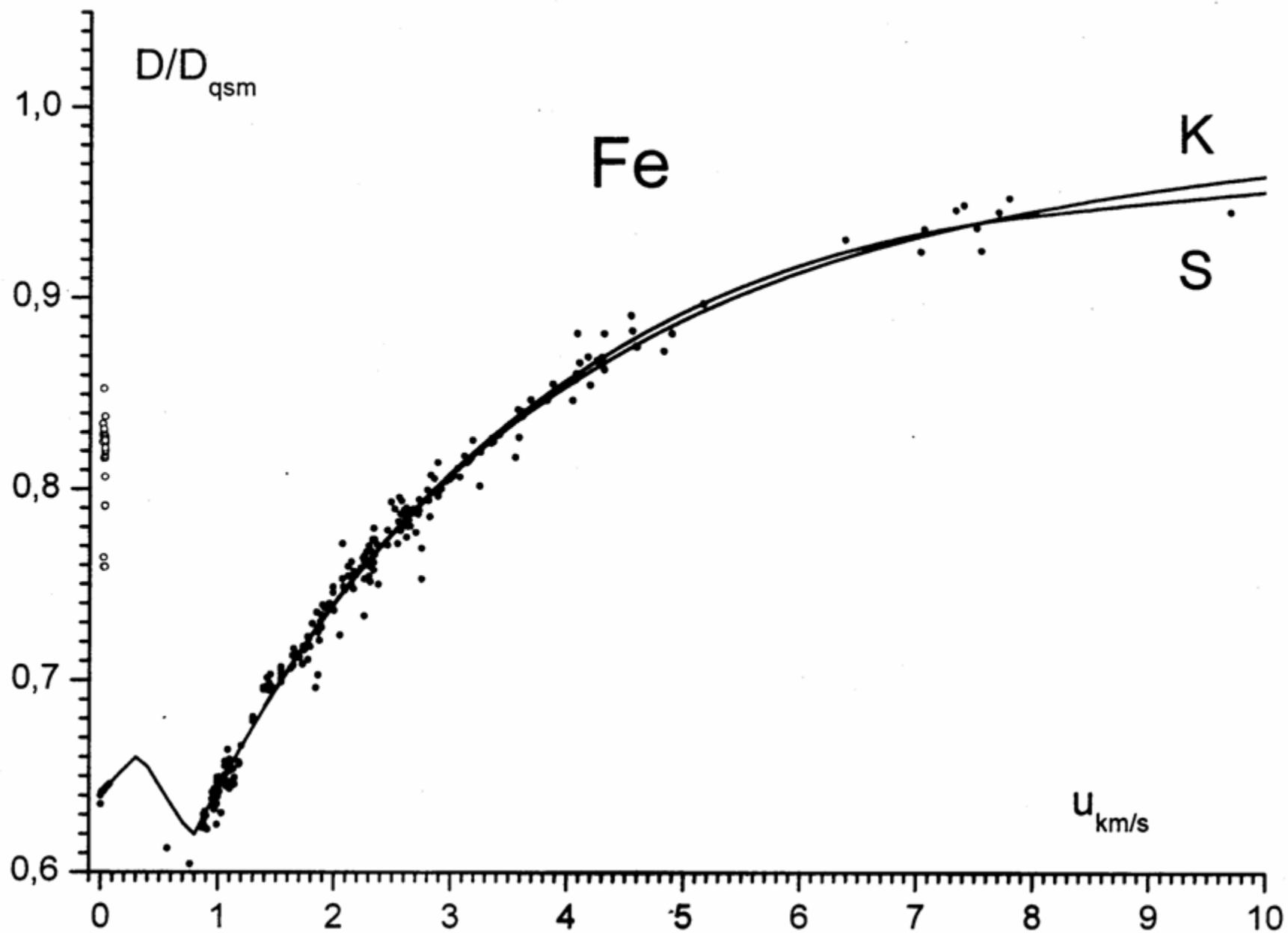


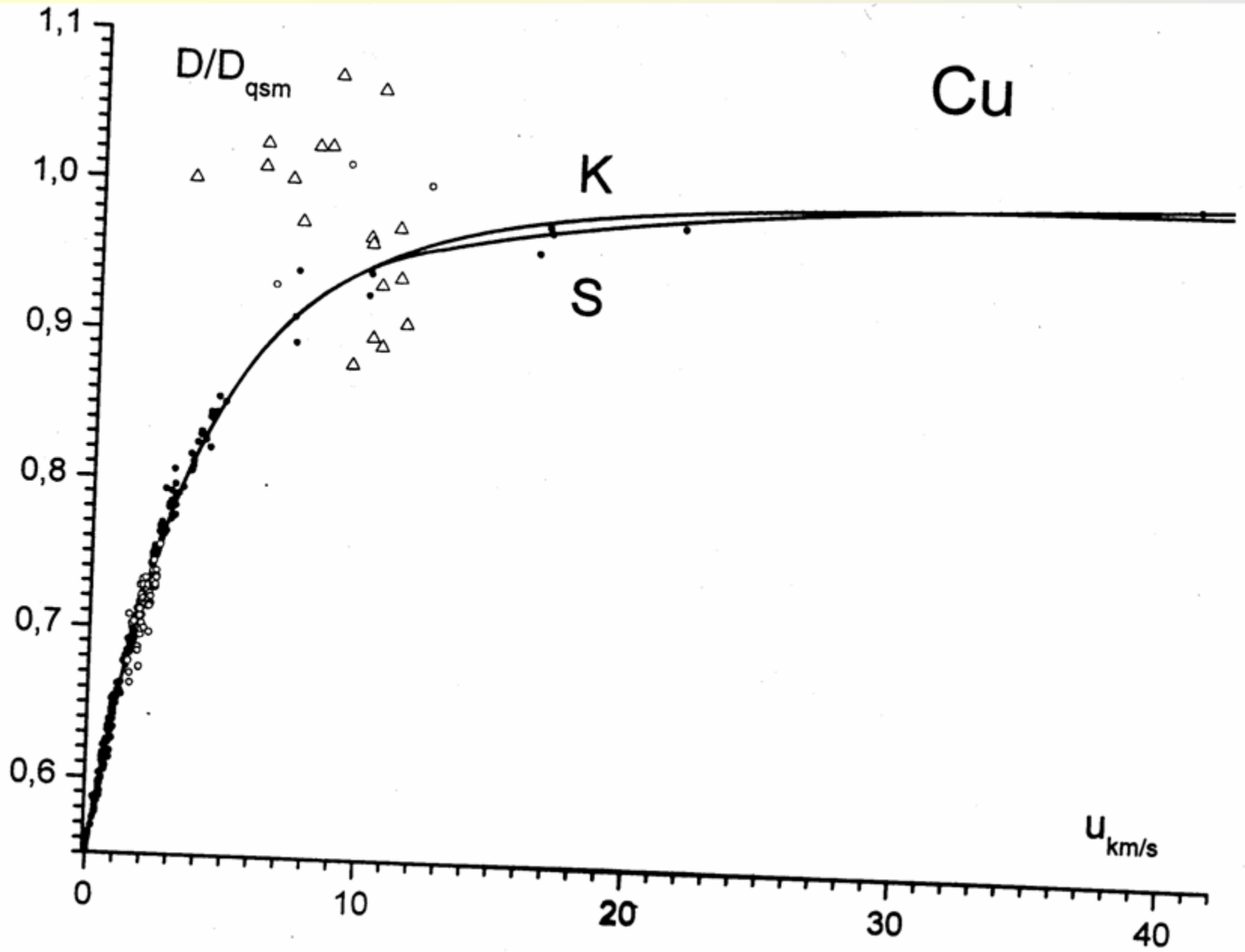
Таблица 2. Эталонные  $D(u)$  – зависимости из [3].

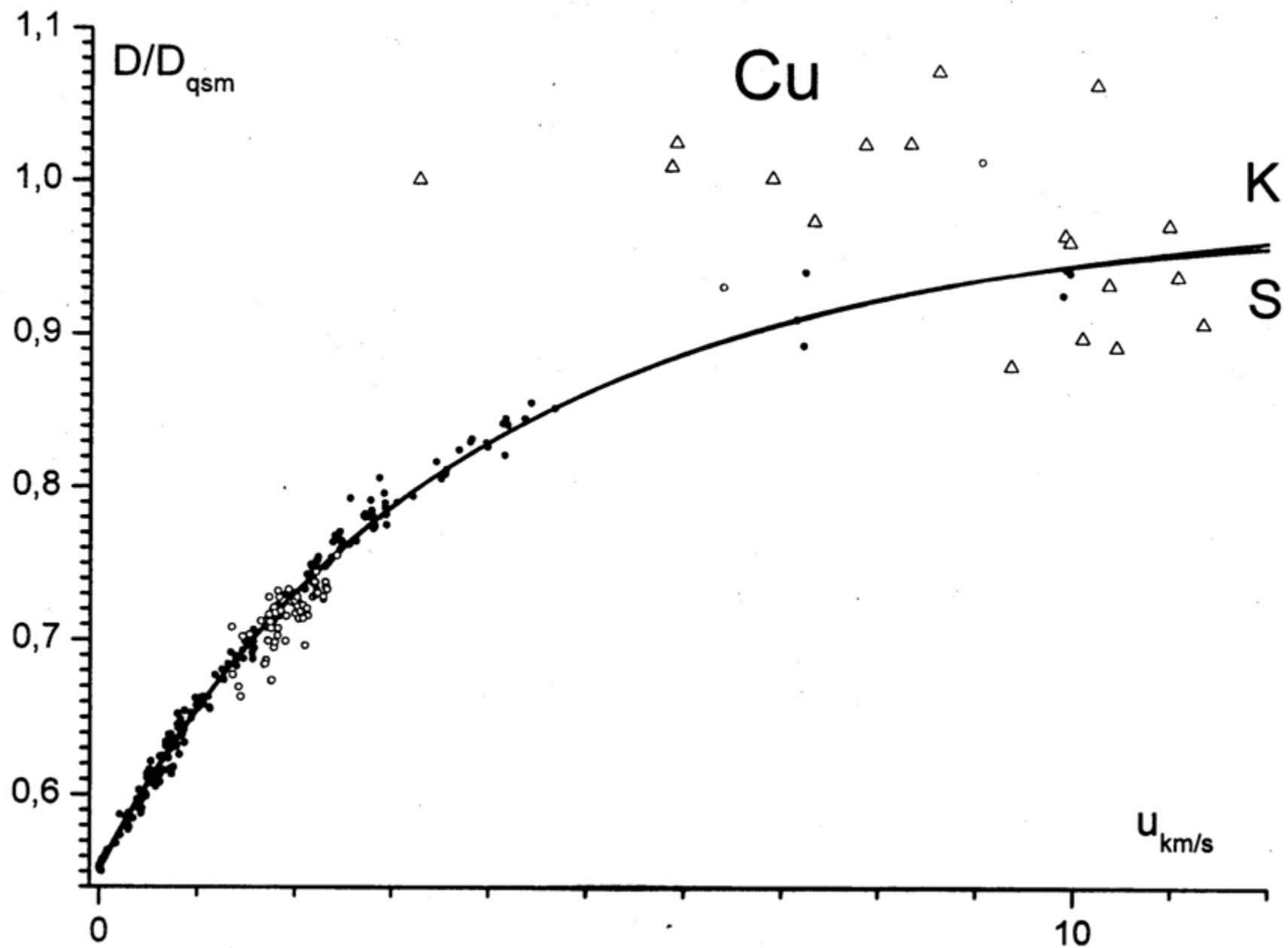
Вещ-во	$\rho_0$ г/см <sup>3</sup>	$C$ км/с	$B$	$A \cdot 10^4$ с/км	$c$ км/с	$b$	$\delta\%$	$u$ км/с
Cu	8.93	7.0924	1.19013	0.999	3.923±0.002	1.511±0.003	0.16	0÷533
Fe	7.87	7.2220	1.18959	1.099	3.671±0.013	1.753±0.007	0.14	0.782÷500
					5.042		~1	0.333÷0.782
					4.629±0	1.241	~1	0÷0.333
Al	2.71	5.7889	1.19380	1.568	5.236±0.009	1.470±0.014	0.13	0÷384

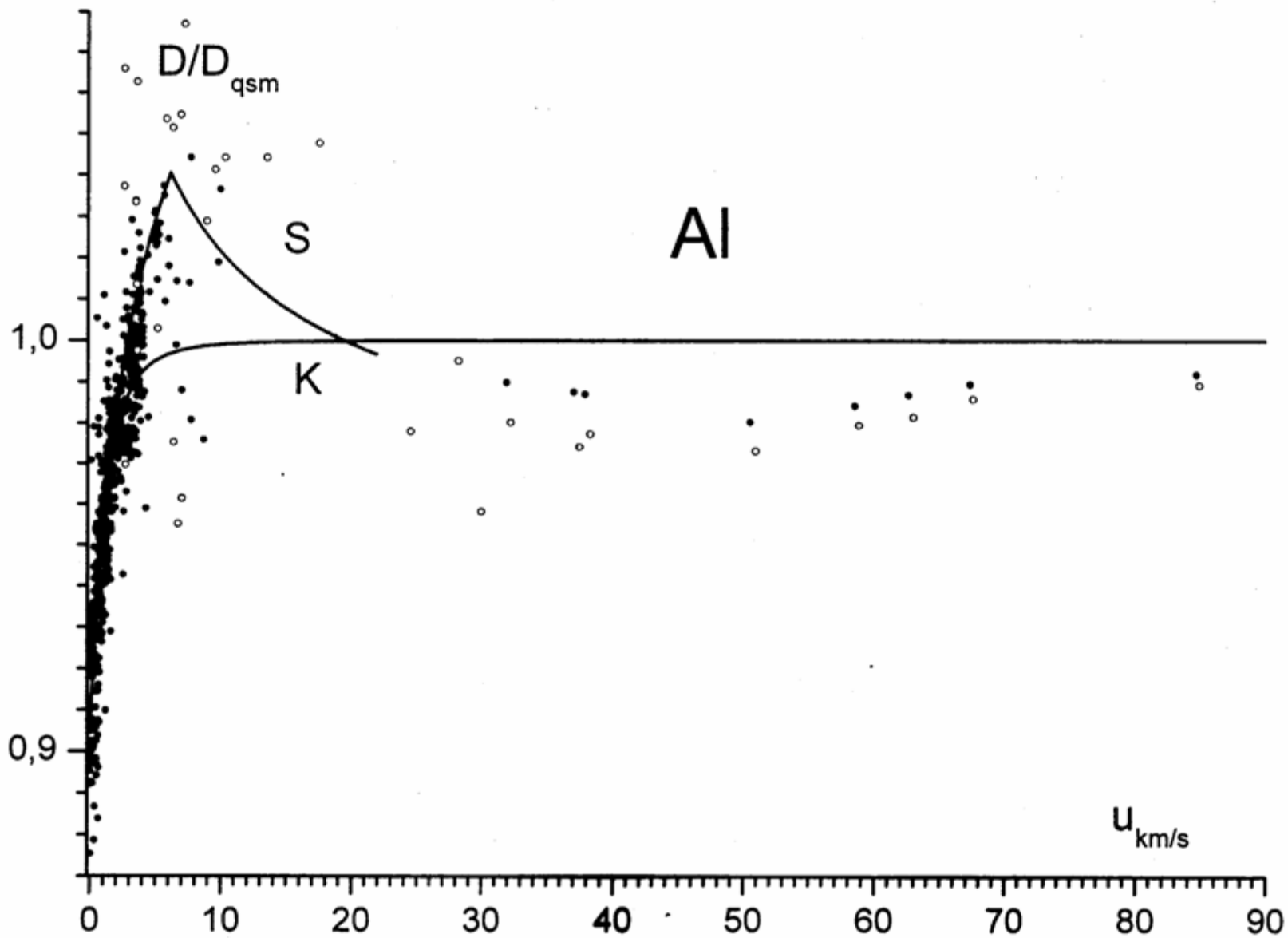


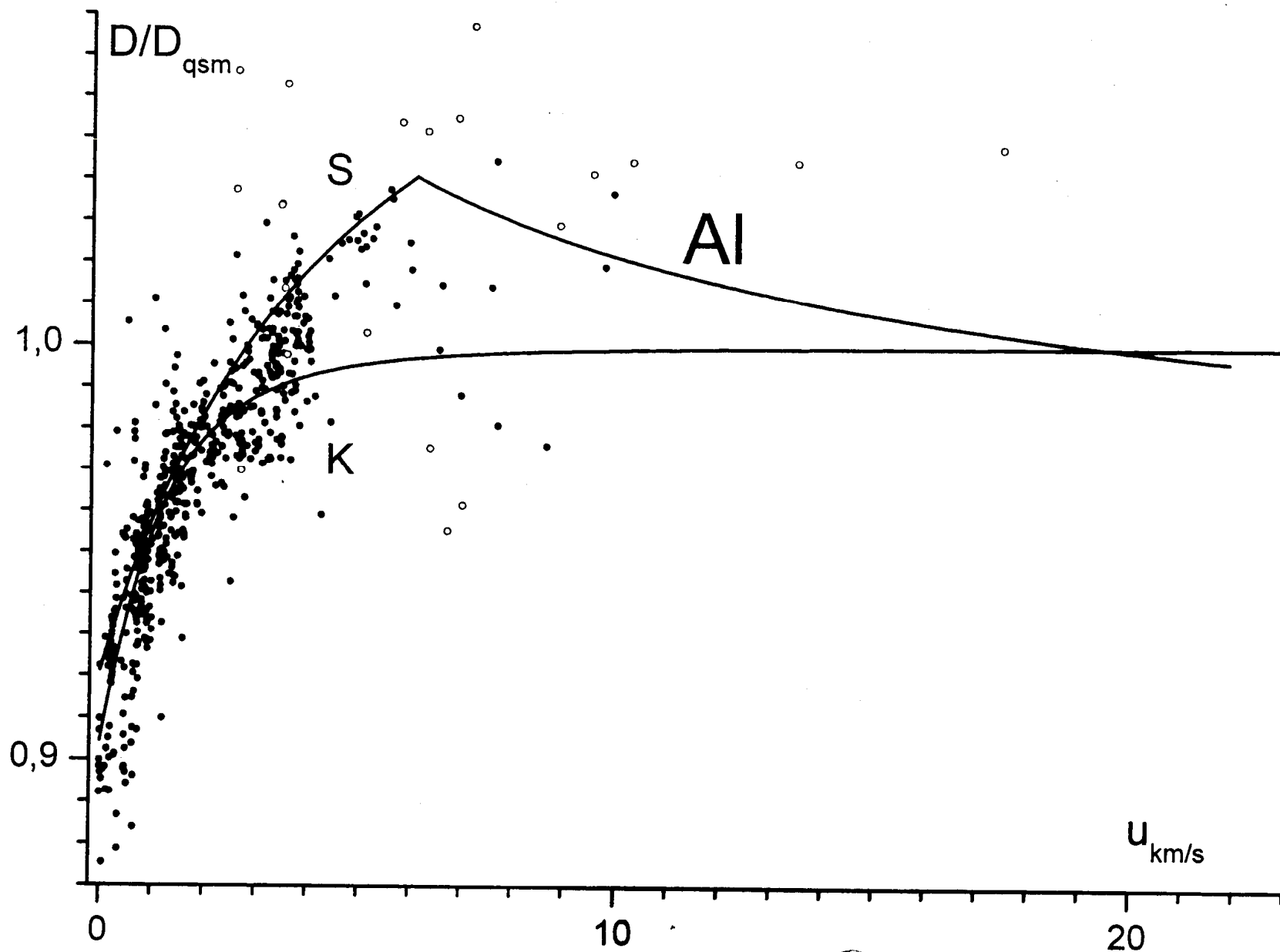












**So the treatment described above provides high accuracy 0.2–0.5% in  $D(u)$ .**

**Now laser experiments can't exceed such accuracy.**

**But there is one important example, where less accuracy may solve the problem. It is Hugoniot for Al near parameters  $u \approx 6$  km/s,  $D \approx 13$  km/s,  $P \approx 2$  Mbars. Here is the serious discrepancy between our group and Sarov interpretation.**

**Especially important may be experiments with the impact method, but not the impedance match method.**



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